Write your name here


## Mathematics AO3 <br> Mathematical problem solving

Grades 4-5

## Time: 30-45 minutes

Paper Reference
1MA1

You must have: Ruler graduated in centimetres and millimetres, protractor, pair of compasses, pen, HB pencil, eraser.

## Instructions

- Use black ink or ball-point pen.
- Fill in the boxes at the top of this page with your name, centre number and candidate number.
- Answer all questions.
- Answer the questions in the spaces provided
 - there may be more space than you need.
- Calculators must not be used in questions marked with an asterisk (*).
- Diagrams are NOT accurately drawn, unless otherwise indicated.
- You must show all your working out with your answer clearly identified at the end of your solution.


## Information

- This gold test is aimed at students targeting grades 4-5.
- This test has 6 questions. The total mark for this paper is 27.
- The marks for each question are shown in brackets - use this as a guide as to how much time to spend on each question.


## Advice

- Read each question carefully before you start to answer it.
- Keep an eye on the time.
- Try to answer every question.
- Check your answers if you have time at the end.
*1. There are 3 red beads and 1 blue bead in a jar.
A bead is taken at random from the jar.
(a) What is the probability that the bead is blue?

There are 4 yellow counters and 3 green counters in a bag.
Sharon puts some more green counters into the bag.
The ratio of the number of yellow counters to the number of green counters is now $2: 5$.
(b) How many green counters did Sharon put into the bag?
2. $A$ has coordinates $(40,60)$.
$B$ has coordinates ( 0,20 ).
A straight line passes through the points $A$ and $B$.
The point $P$ lies on this straight line.
The $x$-coordinate of $P$ is 0.5 .
(a) Find the $y$-coordinate of $P$.

(b) Is your answer to part (a) reliable?

Explain your answer.
3. Mr and Mrs Sharma are going to France.

They each have $£ 300$ which they want to change into euros. They see this deal in a bank.


Mr and Mrs Sharma want the best deal.
They put their money together before changing it into euros.
How much extra money do they get by putting their money together before they change it?
4. Jane made some almond biscuits which she sold at a fête.

She had:
5 kg of flour
3 kg of butter
2.5 kg of icing sugar

320 g of almonds
Here is the list of ingredients for making 24 almond biscuits.

Ingredients for 24 almond biscuits
150 g flour
100 g butter
75 g icing sugar
10 g almonds

Jane made as many almond biscuits as she could, using the ingredients she had.
(a) Work out how many almond biscuits she made.

Jane sold $70 \%$ of the biscuits she made for 25 p each.
She sold the other $30 \%$ at 4 for 55 p.
The ingredients Jane used cost her $£ 45$ and the total of all other costs was $£ 27$.
(b) Work out the percentage profit.
5. Ashten chooses three different whole numbers between 1 and 50 .

The first number is a prime number.
The second number is 4 times the first number.
The third number is 6 less than the second number.
The sum of the three numbers is greater than 57 .
Find the three numbers.
6. Linda keeps chickens.

She sells the eggs that her chickens lay.
She has 140 chickens.
Each chicken lays 6 eggs a week.
Linda gives each chicken 100 g of chicken feed each day. The chicken feed costs $£ 6.75$ for a 25 kg bag.

Work out the cost of the chicken feed for every 12 eggs.

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| Question | Working | Answer | Mark | AO | Notes |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | $7+28+22=57$ | 11,44 and 38 | P | 3.1b | P1 for a correct process to develop algebraic expressions for each number and set up an inequality, e.g. $x+4 x+4 x-6>57$ or for a correct trial with a prime number |
|  |  |  | P | 3.1b | P1 for a correct process to solve the inequality, e.g. $x>(57+6) \div 9(=7)$ or for a correct trial with the prime number as 7 resulting in a sum of 57 |
|  |  |  | A | 1.3b | A1 cao |
| 6 |  | 38p | P | 3.1d | P1for a correct first step, e.g. $140 \times 6$ ( $=840$ eggs per week) |
|  |  |  | P | 3.1d | P1 for a correct process to find the weight of feed per week, e.g. $100 \times 140 \times 7(=98000 \mathrm{~g}$ or 98 kg$)$ |
|  |  |  | P | 3.1d | P1 for a correct method to find the weekly cost, e.g. $6.75 \div 25 \times " 98$ " (= £26.46) |
|  |  |  | P | 3.1d | P1 for completing the process to find the cost of feed required for 12 eggs, e.g. $(2646 \div 840) \times 12=37.8$ p |
|  |  |  | A | 1.3b | A1 for 37.8 p or 38 p oe |

